## CS 199 Computer Programming



## Spring 2018 <br> Lecture 4 <br> FORTRAN Operators

## Objectives

- In this chapter, you will learn:
- To be able to use arithmetic operators.
- To understand the precedence of arithmetic operators.


## Structure of a Fortran Program



## Keyboard and Screen I/O



## Arithmetic

- Arithmetic is performed with operators.
- Arithmetic operators are listed in following table

| FORTRAN operation | Arithmetic operator | Algebraic expression | FORTRAN expression |
| :---: | :---: | :---: | :---: |
| Addition | + | $f+7$ | $\mathrm{f}+7$ |
| Subtraction | - | $p-c$ | $p-c$ |
| Multiplication | * | bm | b * m |
| Division | / | $x / y$ | x / y |
| expontation | ** | $r^{s}$ | r ** s |


| Mathematical formula | FORTRAN Expression |
| :---: | :---: |
| $b^{2}-4 a c$ | $\mathrm{~b}^{* *} 2-4^{*} \mathrm{a}^{*} \mathrm{c}$ or $\mathrm{b}^{*} \mathrm{~b}-4^{*} \mathrm{a}^{*} \mathrm{c}$ |
| $\mathrm{x}(\mathrm{y}+\mathrm{z})$ | $\mathrm{x}^{*}(\mathrm{y}+\mathrm{z})$ |
| $\frac{a+b}{a-c}$ | $(\mathrm{a}+\mathrm{b}) /(\mathrm{a}-\mathrm{c})$ |
| $\frac{1}{\sqrt{x}+x+3}$ | $1 /\left(\mathrm{x}^{* *} 0.5+\mathrm{x}+3\right)$ |

## Results of Arithmetic operators

- Arithmetic operators can be used with any numeric type.
- An operand is a number or variable used by the operator e.g.
- integer1 + integer2
-     + is operator
- integer 1 and integer2 are operands
- The result of an expression is always of the higher type, for example:
- INTEGER * REAL gives REAL , (3*2.0 is 6.0)
- REAL * INTEGER gives REAL , (3.0*2 is 6.0)
- COMPLEX $*<$ anytype $>$ gives COMPLEX


## Mixed Type Assignment

$\square$ Problems can occur with mixed-type arithmetic. The rules for type conversion are given below:

- INTEGER = REAL
$\checkmark$ The RHS is evaluated, truncated (all the decimal places removed) then assigned to the LHS.
- REAL = INTEGER
$\checkmark$ The RHS is evaluated, promoted to be REAL (approximately) and then assigned to the LHS.
$\square$ For example:
REAL :: $\mathrm{a}=1.1, \mathrm{~b}=0.1$
INTEGER :: $\mathrm{i}, \mathrm{j}, \mathrm{k}$
$\mathrm{i}=3.9 \quad$ ! i will be 3
$j=-0.9 \quad!j$ will be 0
$\mathrm{k}=\mathrm{a}-\mathrm{b} \quad \mathrm{l} \mathrm{k}$ will be $\mathbf{1}$


## Integer Division

$\square$ Division of two integers produces an integer result by truncation (towards zero). Consider:

- REAL :: a, b, c, d, e
$-\mathrm{a}=1999 / 1000$
$-\mathrm{b}=-1999 / 1000$
$-\mathrm{c}=(1999+1) / 1000$
$-\mathrm{d}=1999.0 / 1000$
$-\mathrm{e}=1999 / 1000.0$
! LHS a is (about) 1.000
! LHS b is (about) - $\mathbf{1 . 0 0 0}$
! LHS c is (about) 2.000
! LHS d is (about) 1.999
! LHS e is (about) 1.999


## Rules of operator precedence

Some arithmetic operators act before others (e.g., multiplication before addition)

| Opertors | Opeertions | Order of evaluation (precedence) |
| :--- | :--- | :--- |
| () | Parentheses | Evaluated first. If the parentheses are nested, <br> the expression in the innermost pair is evaluated <br> first. If there are several pairs of parentheses "on <br> the same level" (i.e., not nested), they are <br> evaluated left to right. |
| $\boldsymbol{* *}$ | Expontation | Evaluated second. |
| $\boldsymbol{*}$ or / | Multiplication <br> Division | Evaluated third. If there are several, they are <br> evaluated left to right. |
| $\boldsymbol{+}$ or - | Addition <br> Subtraction | Evaluated last. If there are several, they are <br> evaluated left to right. |

## Operator Precedence

An example to understand operator precedence.
$20-4 / 5 * 2+3 * 5 / 2$

$$
\begin{array}{rrrr}
(4 / 5) & 0.8 \rightarrow 0 & & \\
((4 / 5) * 2) & 0 * 2 \rightarrow 0 & & \\
((4 / 5) * 2) & (3 * 5) & 15 \\
((4 / 5) * 2) & ((3 * 5) / 4) & 3.75 \rightarrow 3 \\
(20-((4 / 5) * 2)) & ((3 * 5) / 4) & 20-0 \rightarrow 20 \\
(20-((4 / 5) & * 2))+((3 * 5) / 4) & 20+3 \rightarrow 23
\end{array}
$$

## Math functions

- Allow the programmer to perform common mathematical calculations
- Example

Write(*,*) sqrt( 900.0);
-Calls the sqrt (square root) function.
-The preceding statement would print 30
-The sqrt function takes an argument of type real

- And returns a result of type real
- Function call arguments can be
${ }_{-}$Constants sqrt( 4.0 )
- Variables $\operatorname{sqrt(x)}$
- Expressions $\mathbf{s q r t}(\mathbf{s q r t}(x)), \operatorname{sqrt}(\mathbf{3 y}+6)$


## Math functions

| function | description | example |
| :--- | :--- | :--- |
| $\operatorname{Cos}(\mathrm{x})$ | cosine where x is in radians | $\operatorname{Cos}(0.0)=1.000$ |
| $\operatorname{Sin}(\mathrm{x})$ | sine where x is in radians | $\sin (0.0)=0.000$ |
| $\operatorname{Tan}(\mathrm{x})$ | tangent where x is in radian | $\tan (0.0)=0.000$ |
| $\log (\mathrm{x})$ | natural logarithm of x | $\log (100.0)=4.60517025$ |
| $\log 10(\mathrm{x})$ | logarithm base 10 of x | $\log 10(100.0)=2.00$ |
| $\operatorname{Sqrt}(\mathrm{x})$ | the square root of x | $\operatorname{Sqrt}(9.0)=3.000$ |
| $\operatorname{Abs}(\mathrm{x})$ | absolute value | $\operatorname{Abs}(-9)=9$ |
| $\operatorname{MOD}(\mathrm{a}, \mathrm{p})$ | remainder function | $\operatorname{Mod}(14,4)=2$ |
| $\operatorname{CEILING}(\mathrm{a})$ | smallest $\operatorname{lNTEGER}$ greater than or equal to REAL <br> number | $\operatorname{Ceiling}(2.3)=3$ |

FLOOR(a) biggest INTEGER less than or equal to REAL number Floor(2.3)=2

## Example 1

Write program that will read the two sides of a rectangle and calculate its area.

```
integer :: 1,w,a
write(*,*) 'enter the length'
read (*,*)1
write(*,*) 'enter the width'
read (*,*) w
a=1*W
write (*,*)'the area = ',a
end
```




## Example 2

Write an algorithm and draw a flowchart that will calculate the roots of a quadratic equation $a x^{2}+b x+c=0$

```
integer :: a,b,c
real :: d,x1,x2
read (*,*) a,b,c
d= sqrt(b**2-4.0*a*c)
x1= (-b+d)/(2*a)
x2=(-b-d)/(2*a)
write (*,*)'the first root ` ,xl
write (*,*) 'the second root ` ,x2
end
```

C6:- Project Console


